



EFFECT OF DESIGN CONDITIONS ON REHEAT GAS TURBINE COMBINED CYCLE POWER USING TRANSCRITICAL CARBON DIOXIDE AND AMMONIA WATER MIXTURE

Jyoti Singh¹, Dr. Mayank Maheshwari², Dr. Apurva Anand³

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Abstract:

It is continually being researched and improved upon how to make thermodynamic power cycles as efficient as the Carnot cycle. Various strategies that have been tested and are performing well are included in these efforts to improve the thermal efficiency of the cycle. Due to their high efficiency, coupled cycles have become a popular option for power cycles. However, there is still room for improvement by making more changes to the thermodynamic cycle's thermal efficiency. Based on the first and second laws of thermodynamics, the present study examines the impact of ambient temperature and design parameters such as cycle pressure ratio and turbine inlet temperature in a combined cycle using transcritical carbon dioxide, and a binary mixture of ammonia and water. The result of the energy and exergy analysis of considered combined cycle using ammonia water mixture show that when maximum work output is obtained then the first law efficiency and second law efficiency are at value of 62.01% and 60.27% respectively. This lesser value of second law efficiency opens opportunities for removing sources of inefficiencies to make combined cycles much more efficient.

Keyword: Reheat Gas Turbine Cycle, Transcritical carbon dioxide, Concentration of Ammonia, Heat recovery generator.

¹Phd Scholar, BBD University, Lucknow

²Associate Professor, Allenhurst Institute of Technology Kanpur

³Professor, MPEC, Kanpur

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1. Introduction

In view of natural aspiration, the gas turbine power plants/combined cycle based power plants are being affected by the atmospheric conditions. The installation of various thermodynamic elements for conditioning of admitting air, ultimately affects the performance of power cycle which may be in terms of power or efficiency or economy.[1] Chen et.al presents Transcritical CO₂ has advantages over conventional systems using other working fluids for low grade heat source recovery because it transfers heat more effectively than other pure working fluids. The analysis uses a straightforward carbon dioxide transcritical power system with an internal heat exchanger (IHx), and the system performance is contrasted with a straightforward organic Rankin cycle (ORC). It has been discovered that there is an ideal gas heater pressure for a specific cycle working state, and that the ideal pressure value decreases as the heat source temperature decreases. Under specific cycle conditions, adding an internal heat exchanger can increase efficiency by 50%.

[2] Aqul et.al. presents It can be used for dry cooling in arid climates to dope CO₂ (with non-organic dopant like TiCl₄, NOD, or C₆F₆) with various materials to raise the critical temperature and improve thermodynamic cycle performance. TiCl₄ has the highest efficiency, up to 49.4%, but the specific work is reduced. Due to the presence of all three dopants, the fluid's density rises at the turbine's inlet, and the sound speed falls there. Dopants heavier than CO₂ are required to modify the CO₂ working fluid and raise its critical temperature in order to use it in condensing cycles for CSP applications.

[3] Wang et.al. presents , When the evaporator and absorber are at 140 °C/ 4000 kPa and 25 °C/ 800 kPa, respectively, and the diaphragm pump is used to pump the liquid from the absorber

to the evaporator, the net work and thermal efficiency are 10.68 kW and 9.9%, respectively. When compared to the conventional cycle, the optimal net work, thermal efficiency, and exergy efficiency all increased by 4.87%, 3.62%, and 10.06%, respectively.

[4] Wu et.al. The exhaust gas temperature T_{gi} (250-500 °C) at the input of the gas heater demonstrates that the unique kind of CDTPC may enhance the net power production by 3.9-26.3% and lower the optimal operating pressure by 13.2-31.0% when compared to the ORC (organic Rankine cycle) and the steam Rankine cycle. Waste heat can be used more efficiently by the double-stage CDTPC when the exhaust gas is not corrosive and by the three-stage CDTPC when the exhaust gas is not corrosive and the temperature is between 412 °C and 500 °C. However, the single-stage CDTPC and the double-stage CDTPC are more efficient at using waste heat when the exhaust gas is corrosive (250 °C T_{gi} 338 °C and 338 °C T_{gi} 500 °C, respectively).

[5] Li et.al. presents On the power output and thermal efficiency of the cycles, thermodynamic comparisons of the supercritical SRC, transcritical Rankine cycle, and supercritical or transcritical Rankine cycle with ejector (ESRC, ETRC) are made. According to the results, the cycles' net power production could be sorted from high to low as follows: ESRC > ETRC > SRC > TRC, and the cycles' thermal efficiency could be rated similarly: TRC > SRC > ESRC > ETRC.

[6] Hu et.al. presents The optimal circulation ratio for the ammonia-water power cycle (AWPC), which is based on the Kalina cycle, is 4, with a 12%–13% concentration difference in the ammonia-water solution. Also, increasing the ammonia-water solution concentration will enhance the performance of the AWPC, while increasing the solution heat exchanger's terminal temperature

difference would enhance the ratio of power generation.

[7] Yari et.al. The top cycle is an ejector-expansion transcritical cycle, whereas the bottom cycle is a sub-critical CO₂ cycle. The second-law efficiencies decline as the evaporator and/or gas cooler output temperatures rise.

[8] Xia et.al. presents A promising technique for utilising both low and high temperature heat sources is the transcritical carbon dioxide (CO₂) cycle. For the low temperature transcritical power cycle, CO₂/R32 exhibits the maximum exergy efficiency of 52.85% and the lowest levelized cost per unit of exergy product of 47.909\$/MWh among the CO₂-based mixtures and pure CO₂. CO₂/Propane offers the lower levelized cost per unit of energy product for the high temperature transcritical power cycle, at 29.212\$/MWh.

[9] Wang et.al. compares the revolutionary single-pressure multi-stage CDTPCs (carbon dioxide transcritical power cycles) and the single-pressure single-stage CDTPC for engine waste heat recovery from a thermodynamic and exergoeconomic perspective. demonstrates that at an exhaust gas temperature of 470 °C, the double-stage CDTPC can generate the greatest net power output of 517.27 kW for a 2928 kW engine.

[10] Sahu et.al. Both the combined refrigeration-power cycle and the transcritical CO₂ refrigeration cycle have been researched recently. Under all operating conditions, it has been discovered that the combined power cycle's COP and second-law efficiency are much higher than those of the straightforward cooling-refrigeration cycle. COP rises monotonically with turbine inlet temperature over time. Exergetic efficiency, however, first rises and then falls.

[11] Wang et.al. presents For a variety of applications, different carbon dioxide

(CO₂) power cycles have been proposed. For high-temperature heat sources, the CO₂ power system is more effective than the Rankine cycle of ultra-supercritical steam.

[12] He et.al. describes a desalination system that uses a transcritical carbon dioxide (CO₂) Rankine cycle to power the steam compressor (CRC). It has been demonstrated that it is possible to create freshwater using a combined desalination system. Peak values of the net power, $W_{net} = 64.96$ kW, and the corresponding thermal efficiency, $\eta_{CO_2} = 5.84\%$, for the CO₂ cycle are seen within the examined range of the turbine inlet pressure and temperature. The maximal freshwater production for the MVC subsystem is 1.29 kilogrammes per square metre, and the gained output ratio (GOR) is 2.42. The MVC desalination system will function more effectively if the top temperature is raised, the ambient temperature is lowered, and the TTD of the MVC heater is increased.

[13] Liu et.al. presents utilising both conventional and cutting-edge exergy analysis, a revolutionary two-stage transcritical compressed carbon dioxide energy storage device. The biggest exergy destruction rate of 256.71 kW, accounting for 19.23% of the total exergy destruction rate, designates cold storage as the most important component for improvement. The system's energy efficiency is 59% for the actual cycle, while it is 77.8% at its highest possible level for the inevitable cycle.

[14] Ma et.al. presents a summary of refrigeration and heat pumps using transcritical carbon dioxide. The performance of the carbon dioxide transcritical process can be raised to a level that is comparable to that of a typical heat pump system by using an internal heat exchanger, two-stage compression, expansion work recovery, and improved heat transfer.

[15] Dzido et.al. presents The most effective use of this technology was found when the CO₂ pressure was maximised. Liquid air energy storage technology and transcritical CO₂ cycle were combined to increase its efficiency. In a parallel system, efficiency levels are 5-6%, but in a subsequent cycle, they are only 3.5-5%. Due to the temperature cross in this system, heat from the compression part cannot be used to heat the air in the expansion section. Whereas in the parallel mode any pressure increase above 300 bars led to insignificant additional efficiency, pressure increases in the CO₂ cycle resulted to a gain in storage efficiency in each case.

[16] Wu et.al. presents the better potential for turning middle-grade waste heat into meaningful work of ORC and CDCPC. Exhaust gas temperature T_{gi} (250-500 °C) at the gas heater's inlet demonstrates that the novel type of CDTPC can increase net power output by 3.9-26.3% and decrease the optimum working pressure by 13.2-31.0%. The single-stage CDTPC, P_{4op} of the double stage, and three-stage CDTPC can all decrease by 13.2-19.3%, 23.5-31.0%, and W_{net} can both increase by 7.3-23. The double-stage CDTPC at 250 °C T_{gi} 412 °C and the three-stage CDTPC at 412 °C T_{gi} 500 °C may both use waste heat more efficiently if the exhaust gas is not corrosive. If corrosive exhaust gas is present, Waste heat utilisation is more efficient in the single-stage CDTPC when the temperature is between 250°C and 338°C and in the double-stage CDTPC when the temperature is between 338° °C and 500° °C.

[17] Huang et.al. presents an experimental CTPC system is an appropriate engine waste heat recovery (E-WHR) technology, axial turbine expander with conventional carbon ring mechanical seal and angular contact ceramic ball bearings is manufactured specifically and

experimental tests of the turbine expander are conducted on the CTPC test bench. With modifications to the resistance load, the turbine's rotational speed varies from 10,554 rpm to 14,684 rpm, and its maximum power output of 692W is achieved at 14,022 rpm. At 13,366 rpm, maximum efficiency of 53.43% is reached before speeding down. The leakage brought on by the dynamic seal's failure is the cause of the turbine expander's low power output.

[18] Ahmadi et.al. presents a thermodynamic investigation on flat plate collector-based transcritical power cycles on a modest scale. The increase in heat exchanger surface area is brought on by the rise in turbine inlet temperature. The transcritical CO₂ power cycle powered by solar energy can operate steadily and continuously throughout the whole of the day. The net power production and system efficiency are less sensitive to changes in the turbine's input temperature. The surface area of heat exchangers increases as the temperature at the turbine inlet rises. The plant's overall investment has been reduced while the system's overall efficiency and solar fraction have both been maximised. An overall thermal efficiency of 10.55% might be attained under best-optimized conditions.

[19] Ge et.al. shows a plate recuperator, an air-cooled finned-tube CO₂ condenser, and a CO₂ liquid pump. Higher CO₂ mass flow rates resulted in higher CO₂ pressures at the turbine intake and outlet as well as higher turbine power output. The CO₂ mass flow rate was directly governed by the CO₂ liquid pump speed. The overall turbine efficiency is lower than the turbine's isentropic efficiency. The highest system thermal efficiency is attained when the system operates at low temperature and high pressure at the turbine inlet.

[20] Li et.al. presents The CTPC systems behave as a second-order underdamped system with the perturbations of pump speed and expansion valve opening; CTPC

systems respond slowly with the perturbations of engine conditions, i.e. pump speed and expansion valve opening, but possess the ability to produce power and operate continuously and safely for few times. Carbon dioxide transcritical power cycle (CTPC) systems are dynamically tested on a constructed test bench using an expansion valve. The CTPC systems exhibit considerable potential for recovering waste heat from truck engines since they are resilient to narrow variations of heat sources and quick to make adjustments when necessary.

[21] Li et.al. presents The comparison of two cycles, the CO₂ transcritical power cycle and the ORC, using various working fluids R123, R245fa, R600a, and R601 shows that the ORC performs better thermodynamically and is more successful at recovering low grade heat. The regenerative ORC utilising R601 has the highest thermal (14.05%) and energy efficiency, while the ORC using R123fa generates the most net power (192.7 KW). Economically, the CDTPC outperforms the ORC in terms of net power output.

[22] Shu et.al. presents to look into TRC performance enhancements for the WHR of the engine using CO₂ mixes. The range of condensation temperatures for transcritical CO₂ combinations can be expanded by the CO₂ mixtures. For the TRC with CO₂/R161 (0.45/0.55) and CO₂/R32 (0.3/0.7) compared to the CTRC, the optimal operation pressure will decrease by 36% and 35%, respectively. The carbon dioxide TRC's net output power increases by 8.8% compared to the CTRC. In comparison to CO₂/R32(0.3/0.7), CO₂/R32(0.7/0.3) will result in a 29.4% reduction in the ideal total heat transfer area increment.

[23] Meng et.al. presents The compression heat recovery storage system, which was built as part of a solar carbon dioxide transcritical Rankine cycle integration with compressed air energy storage, improves

the CO₂ Rankine cycle's performance in terms of net power production, thermal efficiency, and exergy efficiency. The negative impact on the pump is lessened in Rankine cycle performance under conditions like high mass flow rate and high air storage pressure thanks to compression heat recovery. The net power production reduces as pump power increases.

[24]Chen et.al. compares the efficiency of an ORC that uses R123 as the working fluid to a CO₂ transcritical power cycle that uses energy from low-grade waste heat to generate meaningful work. Transcritical carbon dioxide power systems produce somewhat more power than organic rankine cycles when using low-grade waste heat at the same thermodynamic mean heat rejection temperature.

[25]Baheta et.al. shows the CO₂ cycle performance; at 10 MPa gas cooler pressure, the greatest COP was 3.24. Additionally, it was found that the cycle is better suited for air conditioning applications than refrigeration applications since COP rises as evaporator temperature rises.

[26]Garcia et.al. analyses several designs for improving performance, including those with an internal heat exchanger, an ejector, and a turbine. Using an ejector, a turbine, or an internal exchanger, the COP is increased by 35.85%, 24.21%, and 25.74%, respectively, depending on the evaporation method.

2. System Description:

The ambient air at state 1, after being cooled in the mechanical chiller up to state 2 enters the compressors. The compressor compressed the air; resulting at state 3 the Pressure & Temperature of the air is increased. This high Pressure & Temperature air enters in the combustion chamber (CC) where the combustion of the fuel take place. Due to combustion of fuel the flue gases are formed. This flue

gases having high Pressure & Temperature expand in High pressure turbine (HTb) state 4 and expanded gases leaving at 5 are sent to reheat combustion chamber (RCC) for being further heated, the fluid leaves at state 6 and enters low pressure turbine (LTb) resulting shaft work is found. After expanding the flue gases in turbine, it discharge from turbine and the resulting CO₂ is stocked in stock chamber state 8. As the CO₂ gases stocked, the ammonia-water vapor fluid expand in Ammonia Water Turbine from high pressure drum (state 9). As the CO₂ gases stocked, the ammonia-water vapor fluid expand in Ammonia Water Turbine from high pressure drum (state 9). Resulting shaft work is obtained. After expanding it discharge in High pressure Ammonia – Water turbine (HAWT) (state 9-10) and passes from mixer (state 10-11) and then passes through low pressure Ammonia-Water turbine (LAWT) after expanding in this turbine pressure gets decreases and temperature increases (state 11-12). After expanding it discharge in Reheat Heat Exchanger at state 12, where the Pressure & Temperature of the Ammonia Water is decreased as compare state 11. After discharging from RHE from state 12 to state 13 Pressure & Temperature is increased. And then it passed through absorber 13 to 14. The absorber absorbs the unwanted gases let as NO_x, CO, etc. With the help pump (P2), the Ammonia-Water pumped in a heat exchanger from 14 to 15. In heat exchanger the Pressure & Temperature is increased of the Ammonia-Water (15 to 16). The separator (S) separates the rich and lean mixture (16 to 17). The rich mixture enters in feed heater where Pressure & Temperature is increased (state 17 to 18). After it, it enters in condenser at state 18. In condenser (a)

indicates cooling water in and (b) indicate hot water out. The vapor form of ammonia-water is converted then to liquid form. With the help of pump (P1) the liquefied Ammonia-Water pumped in feed heater state 20 to 21. The feed heater raises the Pressure & Temperature of liquefied Ammonia-Water and it change in saturated liquid form (state 20 to 21). After passing Feed Heater the saturated liquefied Ammonia-Water enters in heat recovery steam generator (HRSG) where it changes its phase in vapor form and passes through medium pressure drum (MPD) to high pressure drum (HPD) state 21-22-23-24-25, after getting high pressure passes through CO₂ turbine (state 25-26), the temperature and Pressure of discharge CO₂ is increased. And then it discharge in RHE, where Pressure & Temperature is decreased of CO₂ due to heat exchange between ambient air and CO₂ (state 27 to 28). And then it enters in condenser where the vapor form of CO₂ is changed in liquid form of CO₂. In condenser state (a) indicates cooling water in and state (b) indicates heat water out. After condensing of CO₂ the condensate extraction pump (CEP) pumped the CO₂ liquid in pump (P4) when it change in saturated liquid form. With the help of pump (P3) it pumped in RHVG where it change in vapor form (state 31 to 32) in low pressure drum. Then enters in heat exchanger, Pressure & Temperature is decreased of CO₂ (state 33 to 34) and then it passed in a throttle device Where a high pressure drop is take place. Resulting the enthalpy of Ammonia-Water vapor is decreased (state 34 to 35) and then it enters again in absorber. In absorber there is heat exchange take place between state 35 to 13 Ammonia -water (thus the process again starts from 1).

3. Thermodynamic Modeling:

The governing equations for various thermodynamic components of the combined cycle power plant under consideration are as follows:

3.1 Gas Model:

Ambient air entering the refrigeration heat exchanger of the low pressure turbine of bottoming cycle of combined cycle power plant is assumed to be at 1.01325 bar. Natural gas is taken to be fuel for the proposed combined cycle [29] with specific heat of combustion gases, given by

$$c_p = a + bT + cT^2 + dT^3 + \dots \dots \dots \quad (1)$$

Where a,b,c,d, etc. are the coefficients of polynomial with their values taken from the work of Touloukain and Tadash [30]. With the use of equation (1) enthalpy of gas can be calculated as

$$h = \int_{T_a}^T c_p(T) dT \quad (2)$$

All non-reacting gases are arbitrarily assigned zero thermodynamic enthalpy, entropy and availability at the ambient pressure of 1.01325 bar.

3.2 Compressor Model:

An axial flow compressor is used in the considered power plant and inefficiencies are taken care through the concept of polytrophic efficiency [31], by using following expression

$$\frac{dT}{T} = \left[\frac{R}{\eta_{pc} \cdot c_{pa}} \right] \frac{dp}{p} \quad (3)$$

and the corresponding work required by both the compressors is given by:

$$W_c = [\dot{m}_a(h_{a,i} - h_{a,e})]_{lp,c} + [\dot{m}_a(h_{a,i} - h_{a,e})]_{hp,c} \quad (4)$$

Compressor work is estimated as under,

$$W_c = \dot{m}_a [h_{c,e} - h_{c,i}] \quad (5)$$

3.3 Combustion Chamber Model:

In the considered combined cycle the preheating of fuel is considered. Irreversibility in the combustion chamber [32] is taken care by combustion efficiency. It is proposed to preheat the fuel of combustion chamber and fuel of reheat combustion chamber by the coolant which is being discharged from low pressure gas turbine. Value of specific heat of natural gas is taken from works of J.M.Campbell [33].

Mass and energy balance across combustion chamber and reheat combustion chamber for a given turbine inlet temperature provide the fuel required in combustion chamber/reheat combustion chamber

$$\dot{m}_{cc,e} = [\dot{m}_i + \dot{m}_f] \quad (6)$$

$$\dot{m}_f \cdot (LHV \cdot \eta_{cc} + \Delta T_f \cdot c_{pf}) = [\dot{m}_{cc,e} \cdot h_{cc,e} - \dot{m}_i \cdot h_{cc,i}] \quad (7)$$

AMMONIA-AMMONIA-TRANSCRITICALCO2

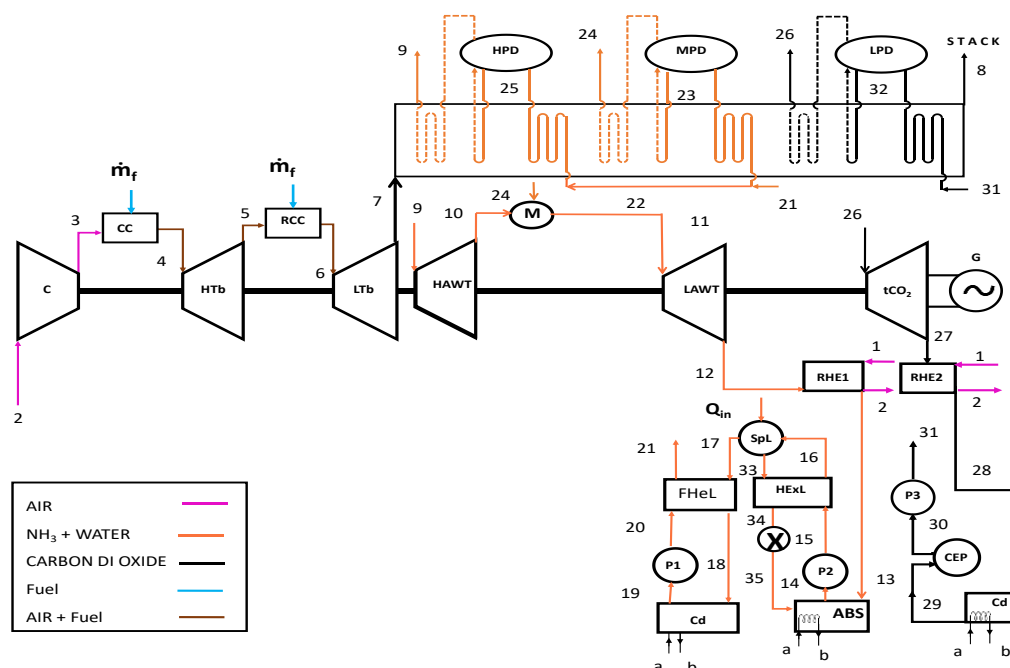


Fig.1 Schematic of combined cycle using ammonia-water mixture and trans critical carbon dioxide

The expansion process is assumed to be polytropic and the temperature at any stage in the turbine is given by

$$\frac{dT_{fg}}{T_{fg}} = \left[\frac{p+dp}{p} \right]^{\frac{R \cdot \eta_{pgt}}{c_{pa}}} - 1 \quad (8)$$

And the corresponding gas turbine work is given by

$$W_{gt} = [\dot{m}_{fg,i}(h_{fg,i} - h_{fg,e}) + \sum \dot{m}_{coolant} \cdot (h_{coolant,e} - h_{coolant,i})]_{hpgt} + [\dot{m}_{fg,i}(h_{fg,i} - h_{fg,e}) + \sum \dot{m}_{coolant} \cdot (h_{coolant,e} - h_{coolant,i})]_{lpgt} \quad (9)$$

Calculation of enthalpy of ammonia water mixture is defined in Appendix-A

3.4 Transcritical carbondioxide/Ammonia Water mixture turbine Model:

Here it is assumed that the dissociation of ammonia does not take place in the binary mixture. Considering the isentropic efficiency of transcritical carbon dioxide turbine and ammonia-water mixture turbine, the gross turbine work output is given by the following equation

$$W_{st} = [\dot{m}_{s,hp} \cdot \eta_{ishp} \cdot (h_{s,i} - h_{s,e})] + [\dot{m}_{s,tp} \eta_{istp} (h_{s,i} - h_{s,e})] + [\dot{m}_{amw,hp} \eta_{istp} (h_{amw,i} - h_{amw,e})] \quad (10)$$

3.5 Condenser Model:

The condenser of the combined cycle power plant is externally water cooled condenser and shared by intermediate transcritical carbon dioxide turbine and low pressure turbine. Mass and energy balance as given below gives the mass flow required for cooling purpose.

$$\dot{m}_{cw}(\dot{h}_{cw,e} - \dot{h}_{cw,i}) = \dot{m}_{s,tp} \cdot (h_{s,i} - h_{water,e}) + \dot{m}_{amw,tp} \cdot (h_{amw,i} - h_{amw,e}) \quad (11)$$

3.6 Pump model:

Pump efficiency is introduced to take care of all the inefficiency of the pump.

$$W_{pump,actual} = \frac{W_{is,pump}}{\eta_{is,pump}} \quad (12)$$

3.7 Performance Parameters:

Performance parameters of the considered combined cycle power plant are as follows:

$$W_{gt,net} = W_{gt} - \frac{W_c}{\eta_M} \quad (13)$$

$$W_{AWT/tCO_2} = W_{st} \cdot \eta_{M,st} - \frac{W_p}{\eta_p} \quad (14)$$

$$W_{combined\ cycle} = [W_{gt,net} + W_{AWT/tCO_2}] \cdot \eta_{gen}. \quad (15)$$

$$\eta_{I,combined\ cycle} = \frac{W_{combined\ cycle} + \frac{Q_{cool}}{\eta_{II,ref}}}{m_f \cdot CV + Q} \quad (16)$$

Where $Q_{cool} = \dot{m}[h_{amw,in} - h_{amw,out} - T_o(s_{amw,in} - s_{amw,out})]$

$$COP = \frac{\text{Cooling produced}}{\text{Potential work lost}} [35] \quad (17)$$

Table 1: Irreversibility and associated cost function of different thermodynamic components

Component	Irreversibility associated with component
Compressor	$\dot{I}_{compressor} = T_o \cdot [\dot{m}_a \cdot (s_e - s_i)]$
Combustion Chamber	$\dot{I}_{cc} = T_o \cdot [\dot{m}_{fg} \cdot s_{fg} - \dot{m}_{a,i} \cdot s_{a,i}]$
Gas turbine	$\dot{I}_{gt} = T_o \cdot [\dot{m}_{fg} \cdot (s_{fg,i} - s_{fg,e}) + \sum_{stage} \dot{m}_{coolant} \cdot (s_{coolant,e} - s_{coolant,i})]$
Bottoming cycle turbine	$\dot{I}_{tCO_2/amwt} = T_o \cdot [\dot{m}_{fg} \cdot (s_{fg,i} - s_{fg,e})]$
Pump	$\dot{I}_{pump} = T_o [\dot{m}_{s/amw} (s_o - s_i)]$
Condenser	$\dot{I}_{condenser} = T_o \left[\sum_j \dot{m}_j \cdot (s_{j,i} - s_{j,o}) - m_w c_{p,w} \ln \frac{T_{w/i}}{T_{w/o}} \right]$
Mechanical chiller	$\dot{I}_{M/C} = T_o \cdot [\dot{m}_a \cdot (s_i - s_o)]$
Heat exchanger	$\dot{I}_{HE} = T_o [m_{we/sol} \cdot (s_{we/sol,i} - s_{we/sol,o}) - m_{w/sol} \cdot (s_{w/sol,o} - s_{w/sol,i})]$
Refrigerant heat exchanger	$\dot{I}_{RHE} = T_o \cdot [\dot{m}_{amw} \cdot (s_{amw,o} - s_{amw,i}) - \dot{m}_{air} \cdot (s_o - s_i)]$
Feed heater	$\dot{I}_{FH} = (s_{r/sol,i} - s_{r/sol,o}) - (s_{fr/sol,o} - s_{fr/sol,i})$
Absorber	$\dot{I}_{Absorber} = T_o \left[\dot{m}_{wo/sol} \cdot (s_{mix,i} - s_{mix,o}) - m_w c_{p,w} \ln \frac{T_{w/i}}{T_{w/o}} \right]$
Fuel Compressor	$\dot{I}_{compressor} = T_o \cdot [\dot{m}_f \cdot (s_e - s_i)]$

$$\eta_{II,combined\ cycle} = \frac{W_{combined\ cycle} + Q_{cool}}{\dot{m}_f \cdot G_r} (35)$$

$$\eta_{II,RHE} = \frac{\text{Exergy of outgoing fluids}}{\text{Exergy of incoming fluids}} [16] \quad (36)$$

Mathematical modeling has been carried out using the equations described above for thermodynamic analysis of the cycle under consideration.

4. Results and Discussion

The work produced, first law efficiency, second law efficiency, and COP are shown to vary with cycle pressure ratio, turbine inlet temperature, ammonia mass fraction, and ambient temperature based on the results of thermodynamic modeling.

With various cycle pressure ratios, turbine inlet temperatures, ammonia mass fractions, and ambient temperatures, Fig. 3 shows the fluctuation in the work generated in the combined cycle. When the

ammonia mass fraction is increased, the work produced by the combined cycle decreases because the mixture's specific heat decreases, which lowers the mixture's enthalpy and, in turn, the work produced. This variation is taken into account at an ambient temperature of 30°C while maintaining the same cycle pressure ratio and turbine inlet temperature.

While maintaining the same ammonia mass percentage, more work is produced if the cycles pressure ratio or the turbine inlet temperature are increased.

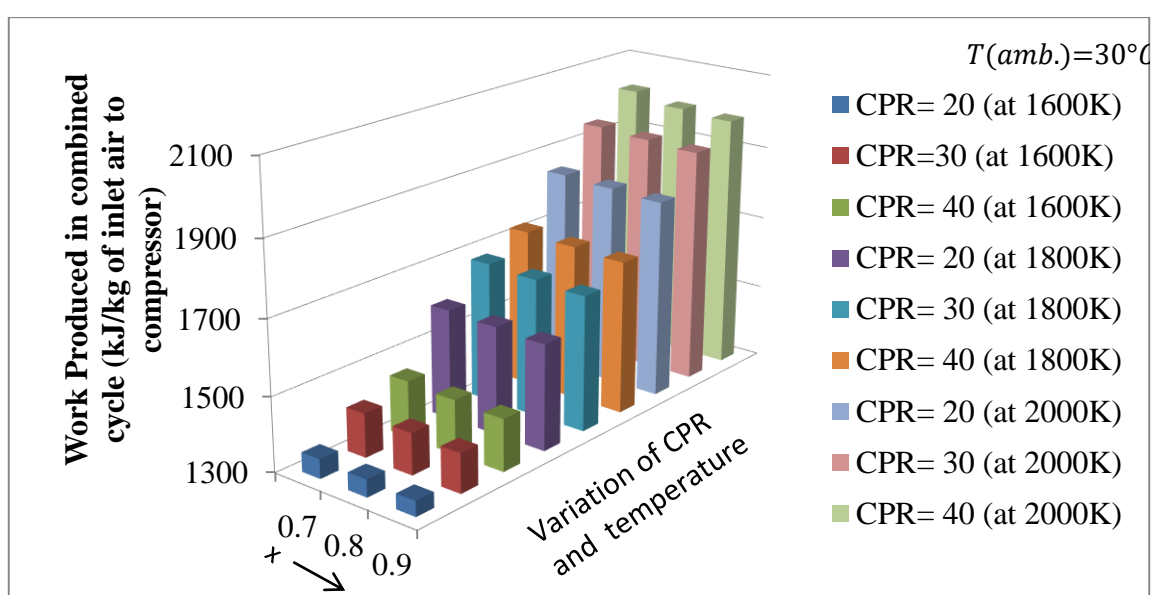


Fig. 3(a) Variation in work produced of the combined cycle with varying cycle pressure ratio, turbine inlet temperature and ammonia mass fraction at ambient temperature of 30°C.

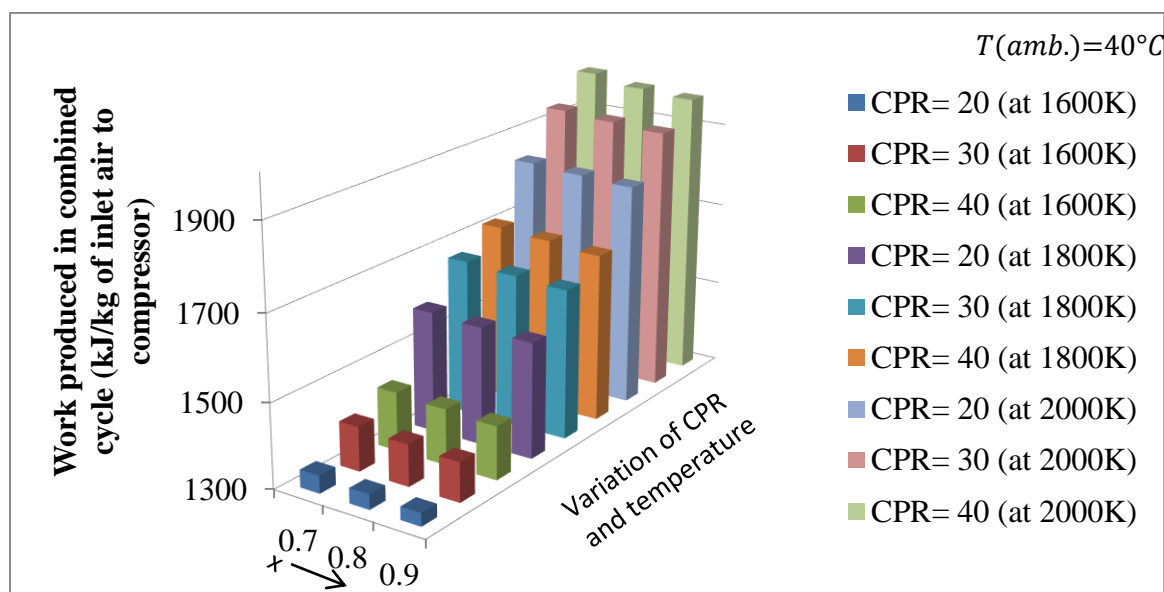


Fig. 3(b) Variation in work produced of the combined cycle with varying cycle pressure ratio, turbine inlet temperature and ammonia mass fraction at ambient temperature of 40°C.

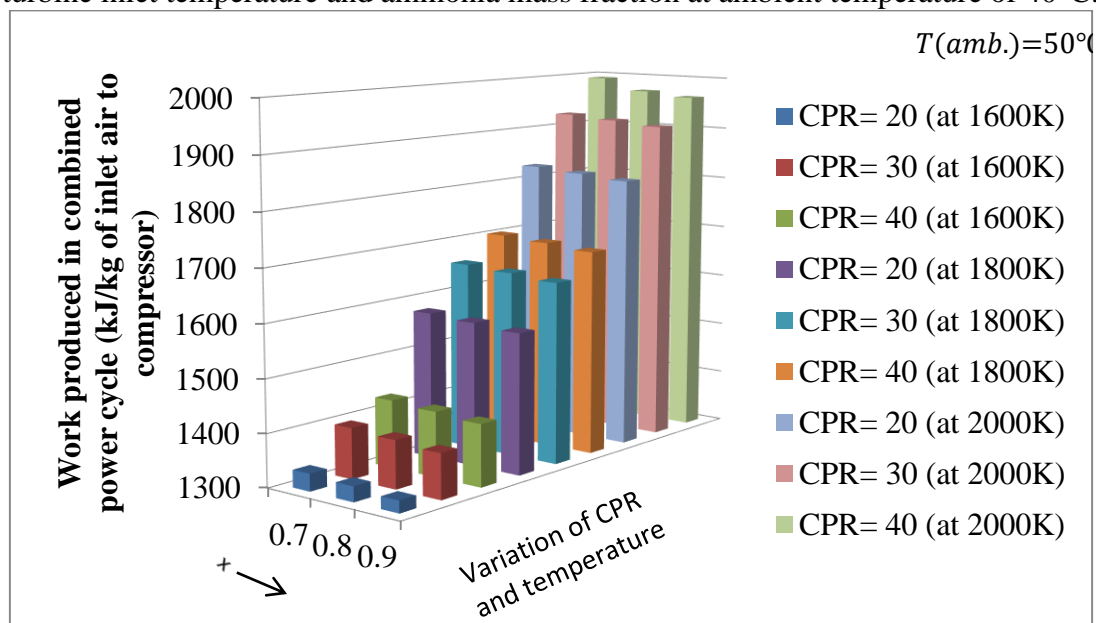


Fig.3(c) Variation in work produced of the combined cycle with varying cycle pressure ratio, turbine inlet temperature and ammonia mass fraction at ambient temperature of 50°C.

The variation with ambient temperature is also shown in Fig. 3. As the ambient temperature rises, less work is produced because the cooling load on the refrigerant heat exchanger increases, which raises the temperature of the fluid entering the compressor and lessens the amount of work the combined cycle can produce. Figure 4 illustrates how the first law's efficiency varies in relation to the cycle pressure ratio, turbine inlet temperature,

ammonia mass percent, and outside temperature. Because the combined cycle's output of work decreases with an increase in ammonia mass percentage, efficiency is seen to decline. While raising the turbine inlet temperature and cycle pressure ratio will boost the cycle's efficiency. The efficiency of the cycle's first law is reduced as a result of a rise in ambient temperature.

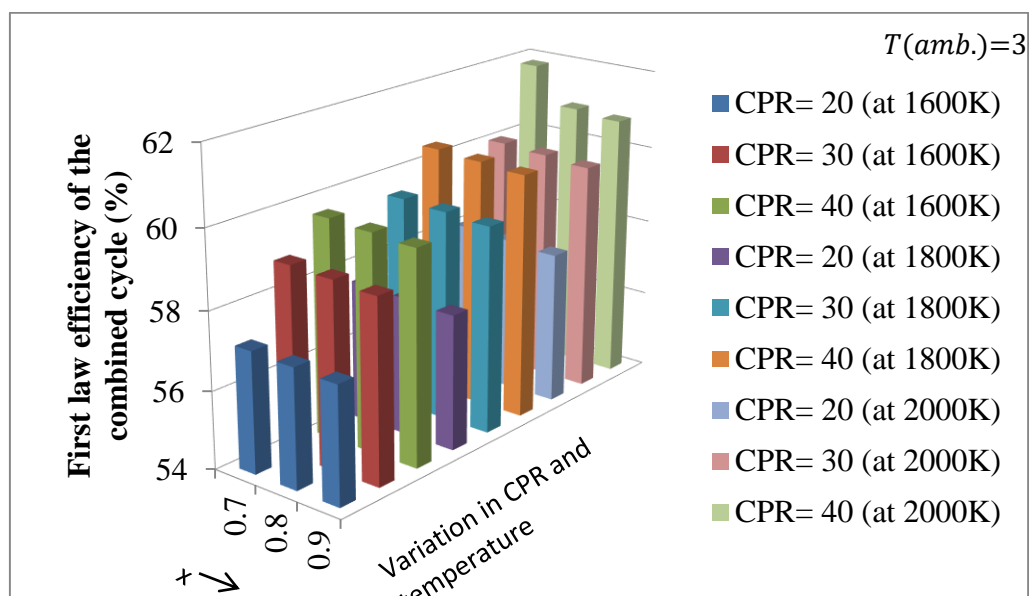


Fig. 4(a) Variation in first law efficiency of the combined cycle with varying cycle pressure ratio, turbine inlet temperature and ammonia mass fraction at ambient temperature of 30°C .

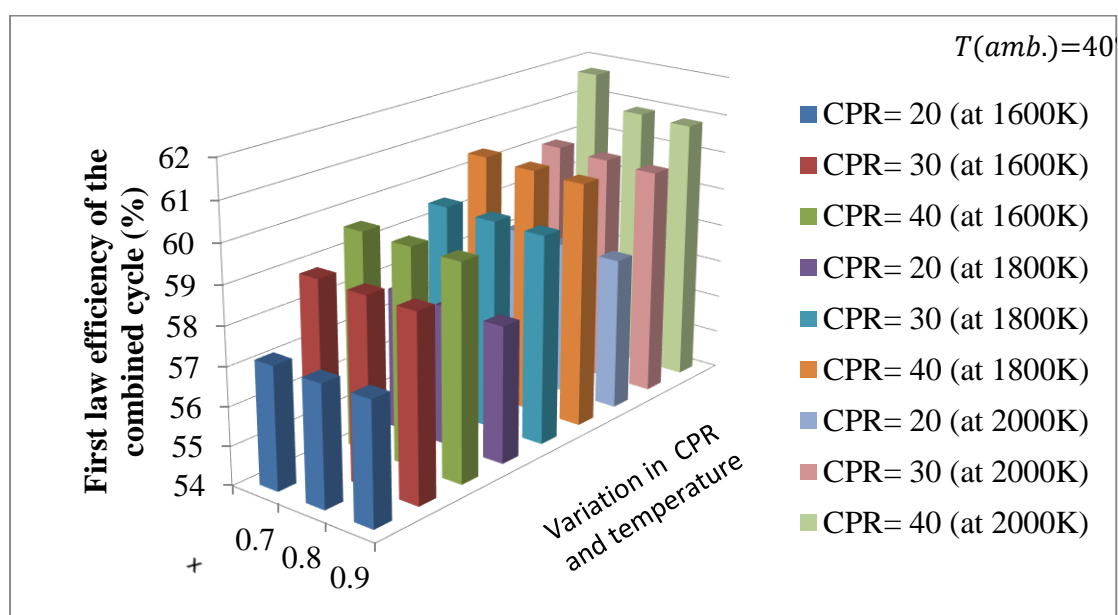


Fig.4 (b) Variation in first law efficiency of the combined cycle with varying cycle pressure ratio, turbine inlet temperature and ammonia mass fraction at ambient temperature of 40°C .

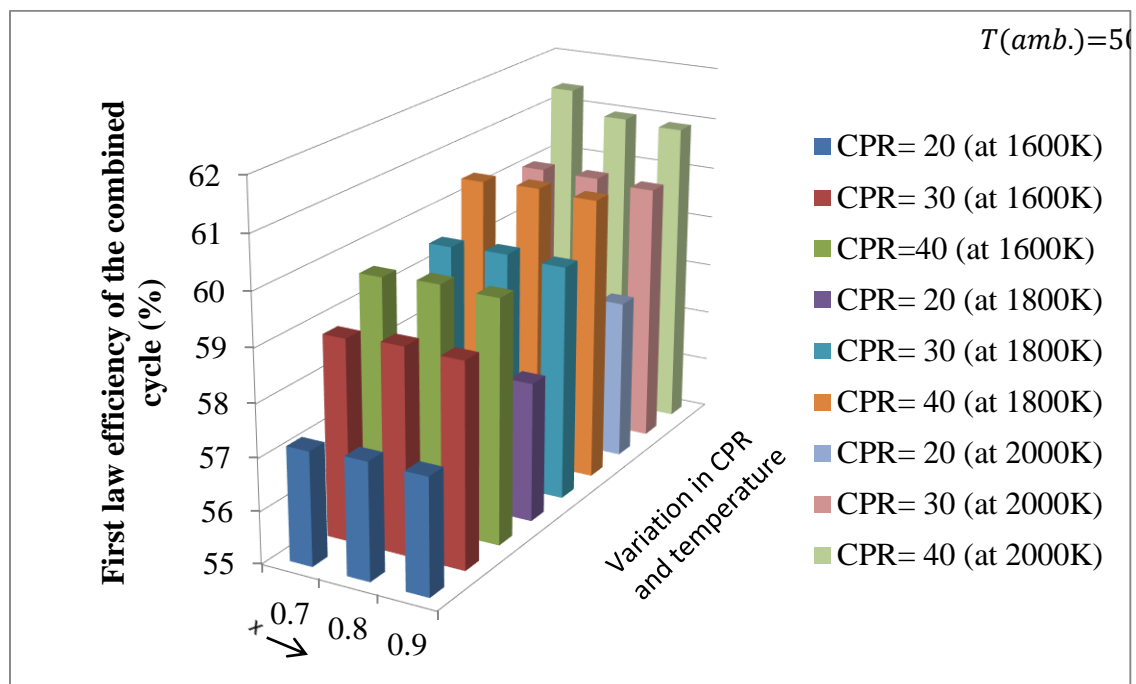


Fig.4(c) Variation in first law efficiency of the combined cycle with varying cycle pressure ratio, turbine inlet temperature and ammonia mass fraction at ambient temperature of 50°C.

Figure 5 shows the combined's variation in second law efficiency. It demonstrates that second law efficiency declines as ambient temperature rises. Furthermore, despite an increase in reported mixture flow velocity, a drop in second law efficiency results

from a rise in ammonia mass fraction (while maintaining other parameters constant). Furthermore, the combined cycle's second law efficiency is increased by the effects of the cycle pressure ratio and turbine inlet temperature.

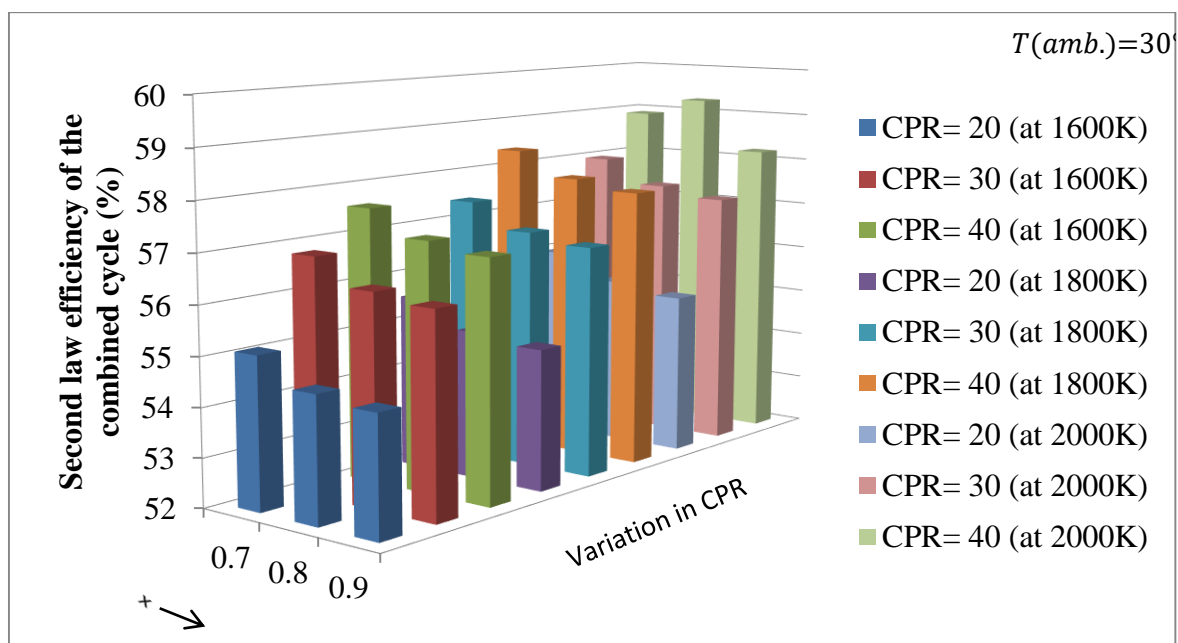


Fig. 5(a) Variation in second law efficiency of the combined cycle with varying cycle pressure ratio, turbine inlet temperature and ammonia mass fraction at ambient temperature of 30°C.

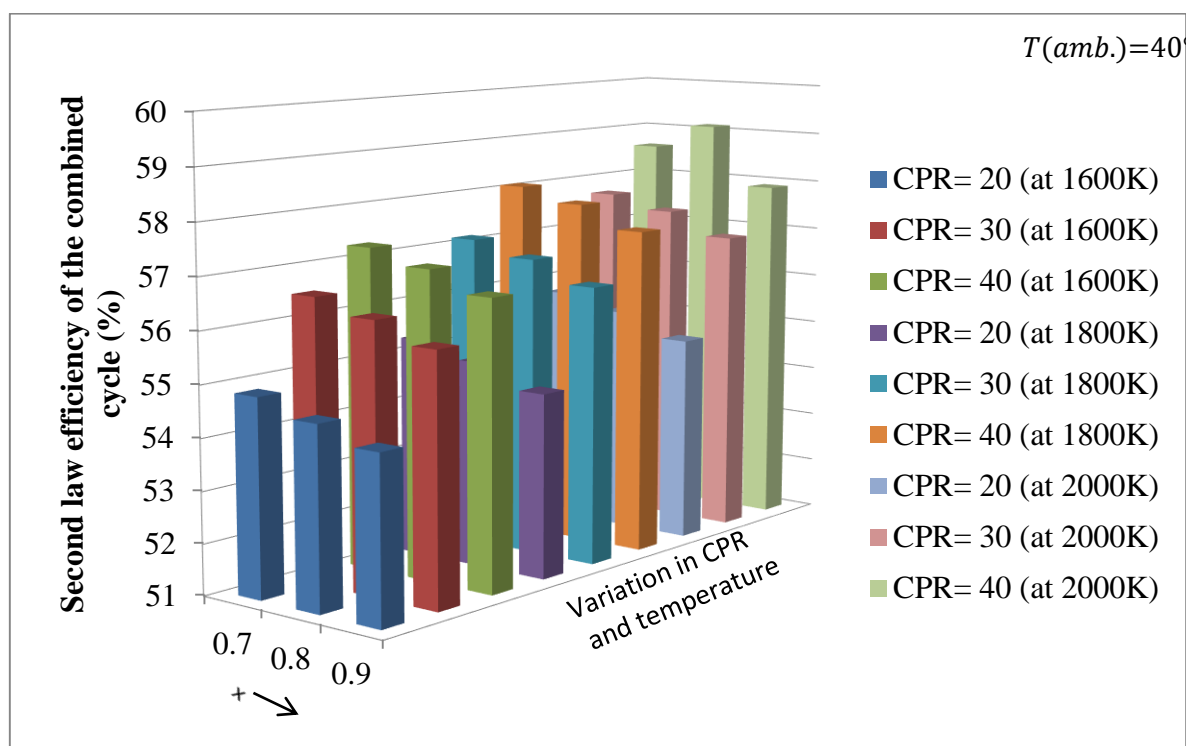


Fig. 5(b) Variation in second law efficiency of the combined cycle with varying cycle pressure ratio, turbine inlet temperature and ammonia mass fraction at ambient temperature of 40°C .

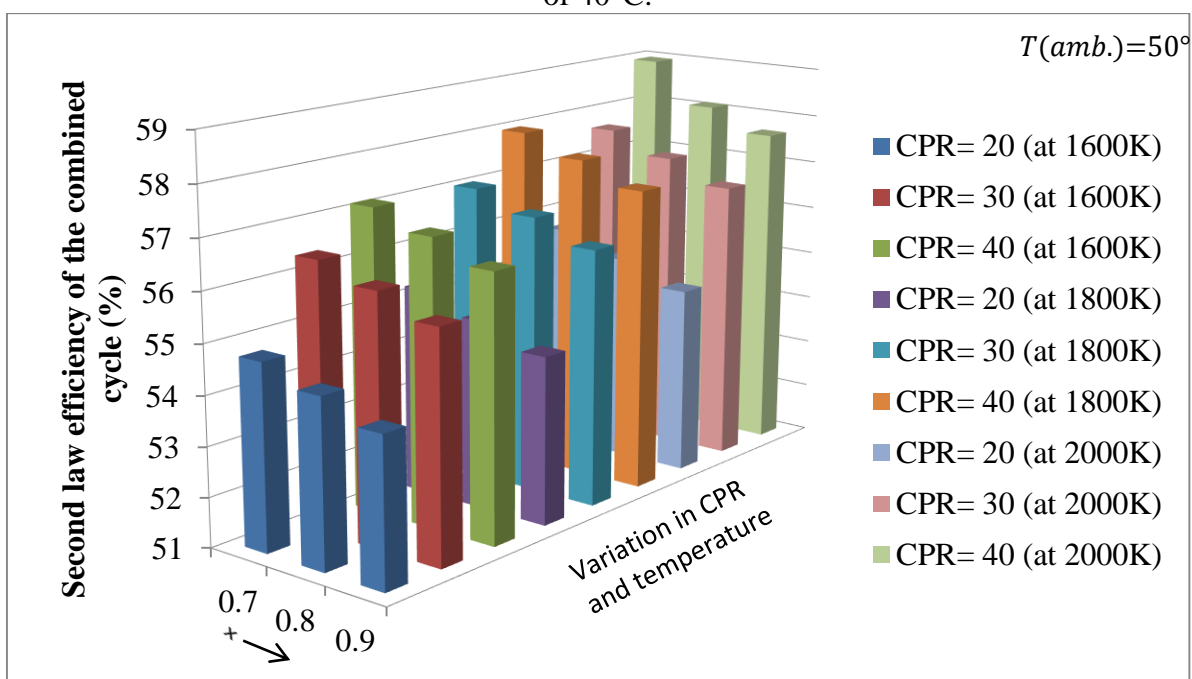


Fig.5(c) Variation in second law efficiency of the combined cycle with varying cycle pressure ratio, turbine inlet temperature and ammonia mass fraction at ambient temperature of 50°C .

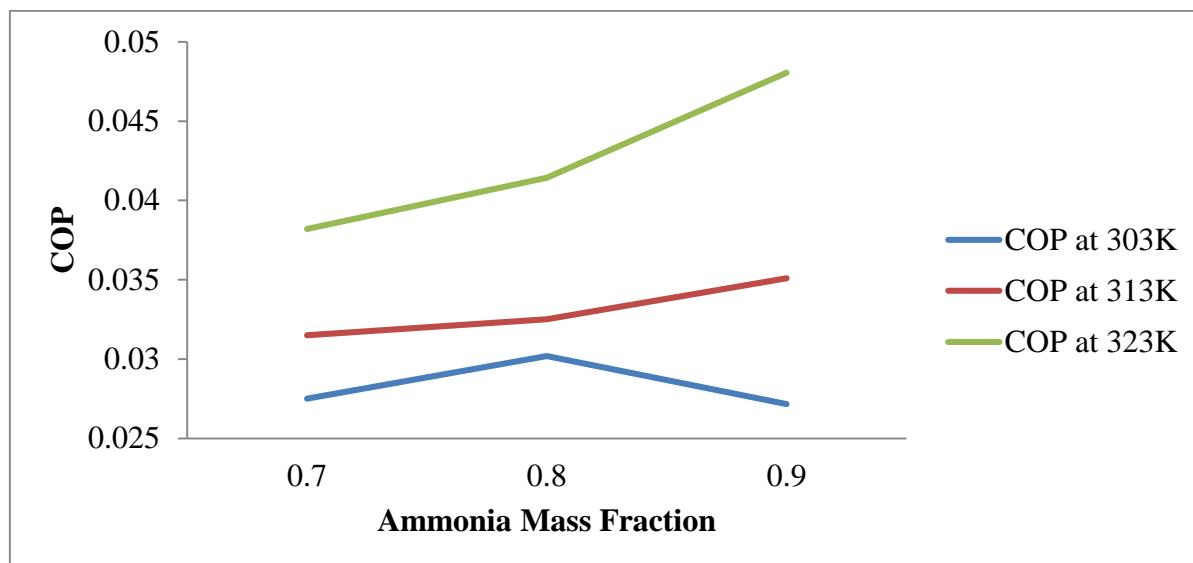


Fig. 6 Variation in coefficient of performance of the cycle with varying ammonia mass fraction.

Modeling of COP demonstrates that it is unaffected by the working fluid's mass flow rate. Furthermore, the low pressure turbine's temperature and pressure variations are limited to a short range (75°C to 100°C and 4 bar, respectively). Here, the COP of the cycle is only examined in relation to the mass fraction of ammonia and the surrounding environment.

Figure 6 illustrates how COP changes when the ammonia mass percentage and ambient conditions change. According to the graphical representation, the cycle's COP will rise as ambient air temperature rises for constant ammonia mass fraction due to an increase in cooling demand. With an increase in ammonia mass percentage, the potential work loss and the cooling load both decrease for constant ambient air temperature, but the work loss is greater than the cooling load, leading to the observation of a decline in COP. At 30°C and at an ammonia mass fraction of 0.8, an ambiguity in the COP is seen, and the COP then starts to decline.

Conclusions:

Following conclusions are drawn from the present study:

- Maximum work output and combined cycle efficiency are noted for cycle pressure ratios of 40, 2000 K turbine inlet temperature, 0.7 ammonia mass fraction, and 30 C ambient temperature. Efficiency was measured to be 2035kJ/kg and work was observed to be 62.01%.
- For the first law condition mentioned above, the combined cycle's second law efficiency is found to be 60.27%.
- At 303K, the coefficient of performance exhibits an interesting pattern, increasing from 0.7 to 0.8 of the ammonia mass fraction before declining beyond 0.8.

APPENDIX - A

A mixture if used as a working fluid offers varying boiling temperature and condensation temperature. For binary mixture (like mixture of ammonia water) following equation developed by J.Patek and J.Klomfar [36] are used for calculating the boiling point and condensing point (also referred as bubble point and dew point)

$$T_b(p, x) = T_0 \sum_i a_i (1 - x)^{m_i} \left[\ln\left(\frac{p_0}{p}\right) \right]^{n_i} \quad (\text{A.1})$$

$$T_d(p, y) = T_0 \sum_i a_i (1 - y)^{\frac{m_i}{4}} \left[\ln\left(\frac{p_0}{p}\right) \right]^{n_i} \quad (\text{A.2})$$

If binary mixture exist in equilibrium then the amount of vapor that is in equilibrium with the vapor phase at a given pressure is given by the works of G.SoleimaniAlamdari [37]

$$y = 1 - \exp \left[ap^b x + \left(c + \frac{d}{p} \right) x^2 \right] \quad (\text{A.3})$$

The Gibbs free energy at any state is given by [38]

For liquid phase:

$$g_R^l = (1 - x)g_{H_2O,R}^l + xg_{NH_3,R}^l + RT(1 - x) \ln(1 - x) + x \ln x + g_{E,R} \quad (\text{A.4})$$

For gas phase:

$$g_R^g = (1 - y)g_{H_2O,R}^g + yg_{NH_3,R}^g + RT(1 - y) \ln(1 - y) + y \ln y \quad (\text{A.5})$$

And on the basis of Gibbs free energy enthalpy and entropy of the binary mixture can be evaluated as follows

$$h = -RT_B T_R^2 \left[\frac{\partial}{\partial T_R} \left(\frac{g_R}{T_R} \right) \right]_{P_R} \quad (\text{A.6})$$

$$s = -R \left[\frac{\partial g_R}{\partial T_R} \right]_{P_R} \quad (\text{A.7})$$

The excess specific enthalpy and specific entropy for the liquid mixture is given by:

$$h^E = -RT_B T_R^2 \left[\frac{\partial}{\partial T_R} \left(\frac{g_R^E}{T_R} \right) \right]_{P_R, x} \quad (\text{A.8})$$

$$s^E = -R \left[\frac{\partial g_R^E}{\partial T_R} \right]_{P_R, x} \quad (\text{A.9})$$

Therefore the specific enthalpy, entropy for the liquid mixture are given by

$$h_m^l = xh_{NH_3}^l + (1 - x)h_{H_2O}^l + h^E \quad (\text{A.10})$$

$$s_m^l = xs_{NH_3}^l + (1 - x)s_{H_2O}^l + s^E + s^{mix} \quad (\text{A.11})$$

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Nomenclature Used:

Symbol	Specification (Unit)
c_p	Specific heat at constant pressure (kJ/kg.K)
R	Universal Gas constant (kJ/kg.K)
p	Pressure (bar)
h	Enthalpy (kJ/kg)
T	Temperature (K)
\dot{m}	Mass flow rate (kg/second)
LHV	Lower heating value (kJ/kg)
CPR	Cycle Pressure ratio
a,b,c,d,T _o ,m _i ,p _o ,T _B	Constants
W	Work (kJ/kg or kJ/kg of inlet air)
bd	Blow down loss
Q	Refrigerating effect/Heat Input
x	Mass Fraction of ammonia in liquid phase
y	Mass Fraction of ammonia in vapor phase
g	Gibbs free Energy

Abbreviations Used:

HD	High Pressure Drum
ID	Intermediate Pressure Drum
LD	Low Pressure Drum
HRVG	Heat Recovery Vapor Generator

Greek Symbols:

η	Efficiency
ε	Effectiveness

Superscripts:

L	Liquid
G	Gas
E	Excess

Subscripts:

Symbol	Specification
p	Polytropic (if not used with 'c')
a	Air
c	Compressor
e	Exit
i	Inlet
cc	Combustion Chamber
f	Fuel
fg	Flue gas
s	Steam
hp	High pressure
ip	Intermediate pressure
lp	Low pressure
amw	Ammonia Water Mixture
gt	Gas Turbine
st	Steam Turbine
cw	Cooling Water
M	Mechanical
p	Pump
CV	Calorific Value
gen	Generator
is	Isentropic
b	Boiling point
d	Condensing point
R	Reduced
E	Excess
m	Mixture

Details of Parameter, Term, Symbol and Unit considered:

Parameter	Term, Symbol	Unit
Gas Properties	Specific heat, $c_p = f(T)$	kJ/kg.K
	Enthalpy, $h = c_p(T)dT$	kJ/kg
Compressor	Polytropic efficiency, $(\eta_{pc}) = 92.0$	%
	Mechanical Efficiency, $(\eta_M) = 98.5$	%
Combustor	Efficiency of combustion chamber, $(\eta_{cc}) = 99.5$	%
	Loss of pressure in combustion chamber, $(p_{loss}) = 2\%$ of inlet pressure	bar
	Lower heating value, (LHV) = 48990	kJ/kg
Gas turbine	Polytropic efficiency, $(\eta_{pgt}) = 92.0$	%
	Exhaust pressure = 1.08	bar
	Maximum permissible blade temperature of gas turbine = 1123	K
HRVG (Triple Pressure)	Effectiveness = 98.0	%
	Loss in pressure = 10% of entry pressure (for bottoming cycle fluid)	bar
	Loss of pressure on the gas side = 6% of pressure at inlet	bar
	Minimum exhaust temperature from HRVG = 353.0	K
	Pressure of steam in the HD = 160	bar

	<p>Maximum temperature attained due to superheating in H.P. = 873 (Max.) Exhaust pressure from high pressure steam turbine= 35 Pressure loss in reheater = 3% of pressure at inlet Intermediate pressure= 35.0 bar Superheating of steam in I.P. = 673.0 (Max.) Inlet pressure of ammonia water mixture cycle = 4.0 L.P Turbine Inlet Temperature= 348 to 373 Pressure at which deaerator is operating = 2.0 Pressure at which condenser is operating = 0.07 Approach temperature difference between gas/steam or gas/ammonia water mixture = 20.0(min.) Pinch point = 20.0 (min.)</p>	<p>K bar bar bar K bar K bar bar K K</p>
Steam Turbine	<p>Isentropic efficiency of 'hp' steam turbine, ($\eta_{is, hp}$) = 88.0 Isentropic efficiency of 'ip' steam turbine, ($\eta_{is, ip}$) = 88.0 Isentropic efficiency of 'lp' turbine, ($\eta_{is, lp}$) = 88.0 Minimum Steam quality at exit to low pressure steam turbine = 0.85</p>	<p>% % %</p>
Ammonia Mass Fraction	0.7-0.9	
Pump	Isentropic efficiency of pump's, (η_{pump}) = 88.0	%
Generator	Efficiency of generator, ($\eta_{gen.}$) = 88.0	%